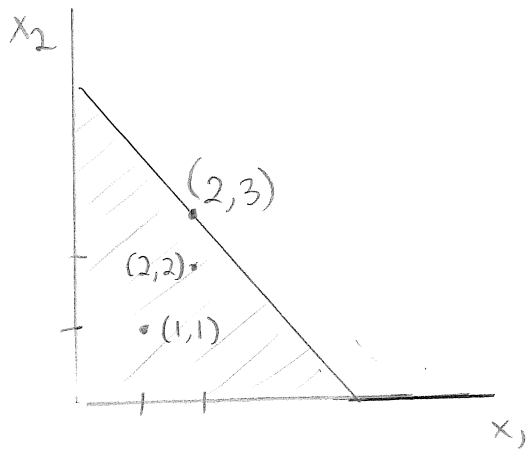


Chapter 1

1. (1,1) (2,2) (2,3)



2. Slope is steeper: give up more x_2 for extra x_1

3. For example: $x_1 + x_2 = 10$

4. Decrease in the price of x .

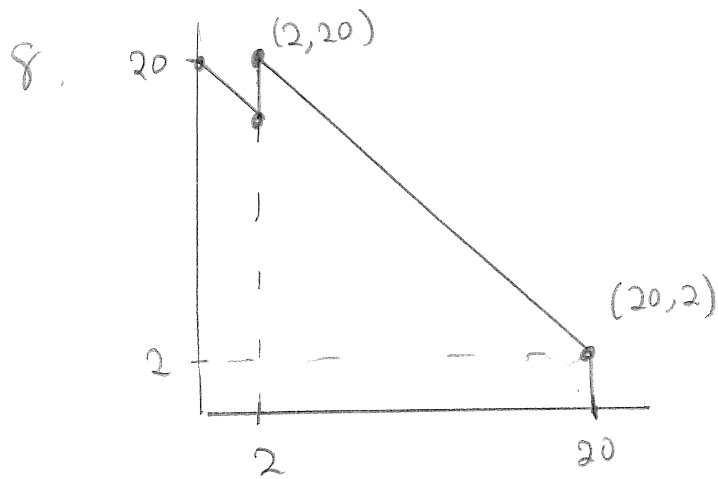
5. Decrease in the Price of x .

6. $x_1 + 2x_2 = 10$

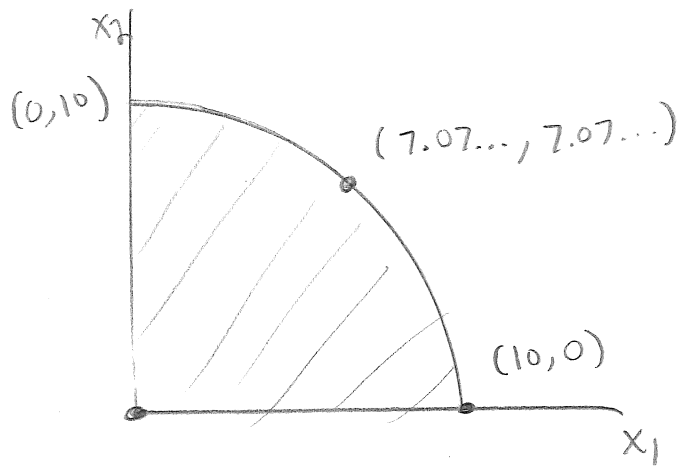
✓
(2,3) (1,5) (2,4) ✓

✗
(2,3) (1,5) (2,4) ✓

7. After buying 3 units of x , they are 50% off.



9. $\sqrt{x_1^2 + x_2^2} \leq 10$



Chapter 2

1. (1). R, C, T.

(2). T, A.

(3). R, T, S

(4). R, S

(5). R, T, S

(6). R, C, T

(7). T, A

(8). R, C, T

2. (1) At least as old in years.

(2) Lives on same Planet As.

(3) could beat in Tennis.

3. No! RbS SbP PbR

If it was transitive there would be
a strategy that always wins!

4. GRB BRR GRR

aRb bRa bRc cRb

cRb eRg bRg

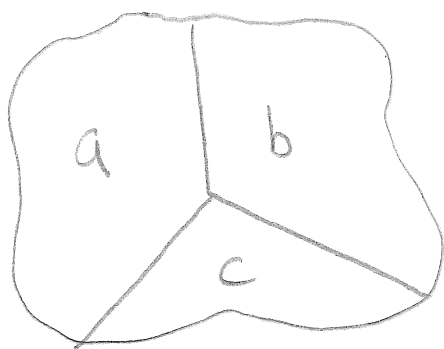
5. (1) $\emptyset, T$

(2) $C, \neg$

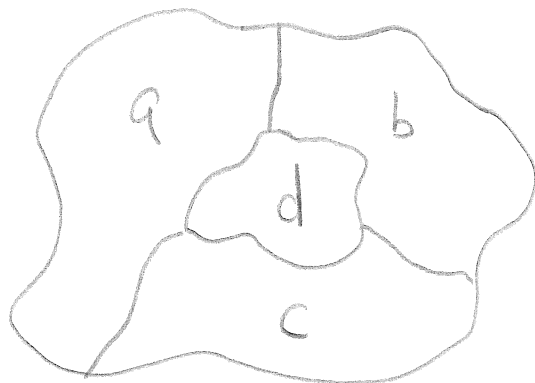
(3) C, T

(4) $C, \neg$

6.

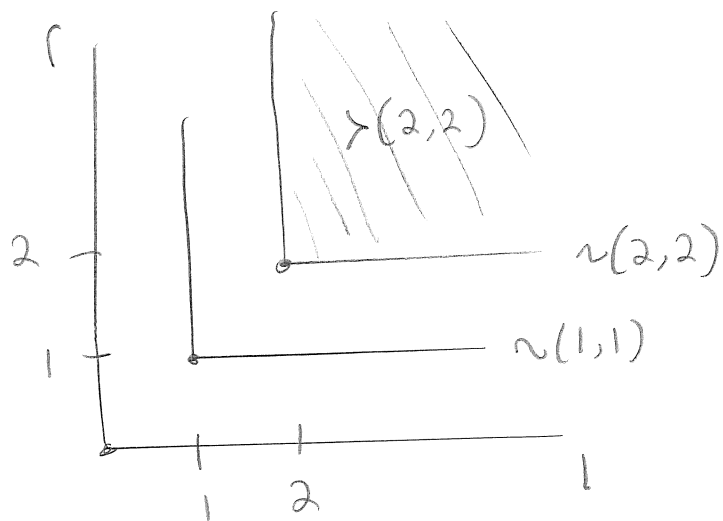


7.

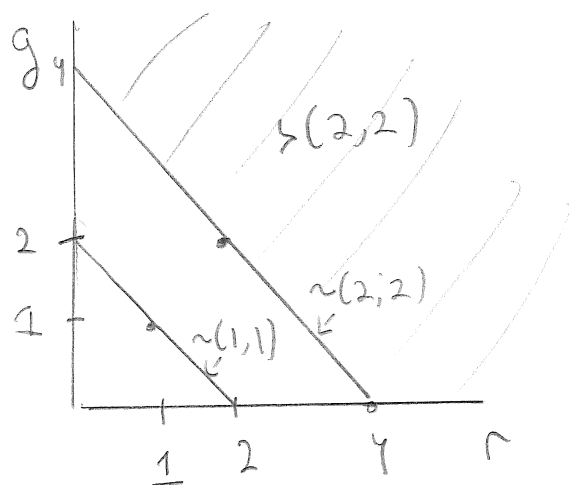


Chapter 3.

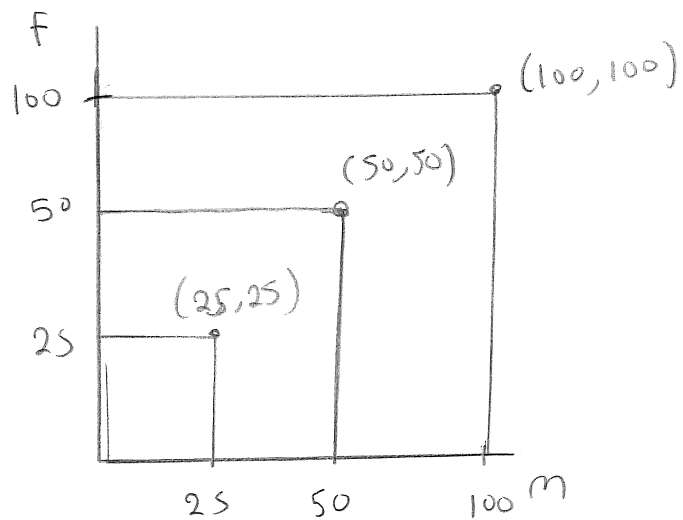
1.



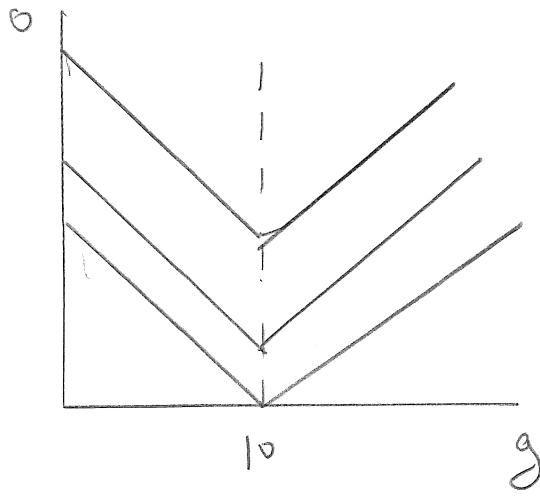
2.



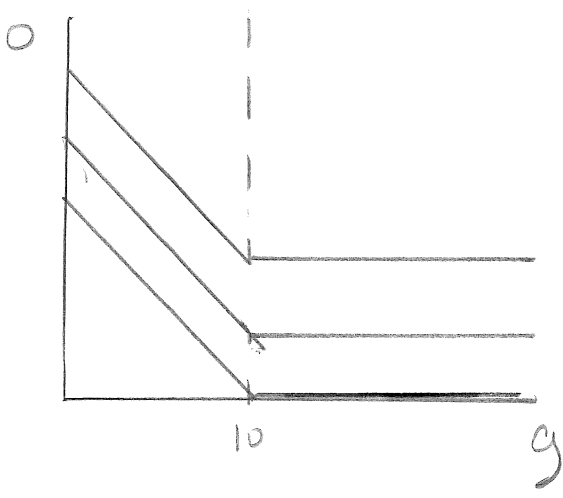
3.



4.



5.



6. (1) $a \sim b \sim c$

(2) $a \sim b \succ c$

(3) $a \succ b \sim c \succ d$

7. $P \succ Q \quad P \succ R \quad Q \succ R$

NONE.

$$8. (1) P \sim P \quad E \sim E \quad r \sim r$$

$$(2) \begin{array}{lll} P \sim P & E \sim E & r \sim r \\ P \cup E & P \cup r & E \cup r \\ E \sim P & r \sim P & r \sim E \end{array}$$

$$9. (1) \varnothing$$

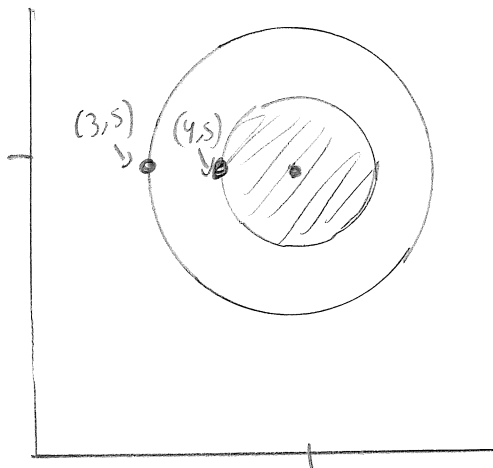
$$(2) \{b, c\}$$

$$(3) C$$

10. Yes. Complete.

Yes. Transitive.

11.



$$12. (3, 1100) < (4, 800)$$

$$(4, 400) < (4, 800)$$

$$(2, 900) > (2, 900)$$

$$(2, 800) > (2, 700)$$

$$(2, 400) > (1, 800)$$